

● NEUTRINO OSCILLATIONS,

● NEW VECTOR BOSON G ,

● POSSIBLE DARK MATTER,

● AND ATOMKI.

● AMONG OTHER FRAMED STANDARD MODEL (FSM) RESULTS.

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THE GENERATION PUZZLE.

● 1 QUARKS AND LEPTONS IN 3 GENERATIONS.

● 2 MASS HIERARCHICAL:

e.g. $m_e \gg m_c \gg m_\mu$

175 GeV 1.27 GeV 2 MeV

● 3 UP-DOWN STATE VECTORS NOT ALIGNED.

e.g. $V_{CKM} \sim$

$\begin{pmatrix} u \cdot d & u \cdot s & u \cdot b \\ c \cdot d & c \cdot s & c \cdot b \\ t \cdot d & t \cdot s & t \cdot b \end{pmatrix} \sim$	$\begin{pmatrix} .97 & .22 & .0035 \\ .22 & .97 & .041 \\ .069 & .040 & .999 \end{pmatrix}$
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$\neq I$

? WHY ?

SM TAKES ALL ABOVE FOR GRANTED!

IST STEP IN ANSWER: [R2M2]

ROTATING RANK-ONE MASS MATRIX

1

$$M = m_T \begin{matrix} \alpha & \alpha^T \\ m & m \end{matrix}$$

α : COLUMN VECTOR IN 3-D GENERATION SPACE
UNIVERSAL ~ SAME FOR ALL q AND α .

2
 α ROTATES WITH CHANGING SCALE: μ

2 \Rightarrow MASS EIGENSTATES SCALE-DEPENDENT.
 $m_t \neq m_b \Rightarrow t \neq b, t \cdot b \neq 1$, MIXING.

1 \Rightarrow $\mu = m_t, c$ HAS 0 EIGENVALUE, BUT AT $\mu = m_c, c$ ACQUIRES SMALL MASS.

🟢 [R2M2] CAN EXPLAIN OBSERVED MASS AND MIXING PATTERN OF QUARKS AND LEPTONS.

BUT: WHY [R2M2]???

🔴 CONSTRUCT MODEL THEORY FSM TO GIVE [R2M2] (FRAMED STANDARD MODEL)

🔴 REMINDER:

STANDARD MODEL IS GAUGE THEORY WITH GAUGE

SYMMETRY $G = U(1) \times SU(2) \times SU(3)$

DYNAMICAL VARIABLES (FIELDS)

GAUGE BOSONS: A_μ, B_μ, C_μ

MATTER FERMIONS: ψ_f, ψ_e

+ HIGGS???

(TO BREAK FLAVOUR)



FSM IS AN EXTENSION OF SM

[NOT BY EXTENDING G AS IN SUSY, GUT]

BUT ADD DYNAMIC VARIABLES:

$A_\mu, B_p, C_q, \psi_1, \psi_2, \text{FERMIONS}$

WHILE KEEPING G THE SAME.

? WHAT ARE FERMIONS?

• THEORY INVARIANT UNDER LOCAL TRANSFORMATIONS IN G .

• TRANSFORMATIONS IN G REPRESENTABLE AS MATRICES RELATING LOCAL FRAME TO FIXED REFERENCE FRAME
• COLUMNS OF MATRIX CALLED FRAME VECTORS

- TAKE THE ELEMENTS OF THE MATRIX, OR THE COMPONENTS OF THE FRAME VECTORS AS DYNAMICAL VARIABLES \Rightarrow FRAMONS.

! FRAMING NOT NEW IDEA!

- REMINDER: GRAVITY, $g_{\mu\nu}$ DYNAMICAL VARIABLE. (EINSTEIN-CARTAN) USED INSTEAD VIERBEINS

e_p^a ($\underline{\mu}$ LOCAL, $\underline{\alpha}$ GLOBAL, ... X-INDPENDENT.)

$$g_{\mu\nu} = \sum_a e_p^a e_\nu^a$$

e_p^a ARE FRAMONS IN PRESENT LANGUAGE.

FRAMONS BY NATURE DEPEND ON BOTH

LOCAL AND GLOBAL REFERENCE FRAMES.

[CF: e_p^a VIERBEIN WITH 2 INDICES:
 μ LOCAL, a GLOBAL]

[CF: GAUGE FIELDS AND MATTER FERMION FIELDS
DEPEND ONLY ON LOCAL FRAME]

SINCE PHYSICS SHOULD NOT DEPEND ON FRAMES
WHETHER LOCAL OR GLOBAL (REFERENCE)

* ACTIONS WITH FRAMONS SHOULD BE INVARIANT

UNDER DOUBLED SYMMETRY:

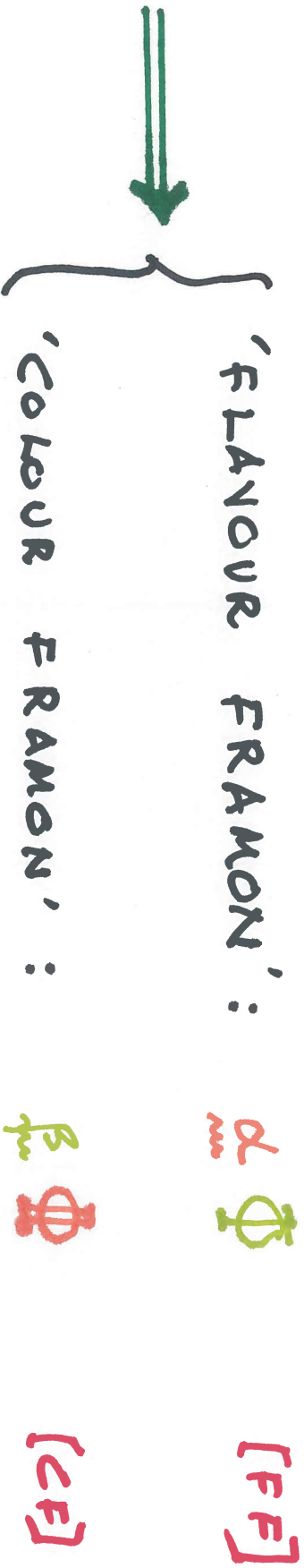
$$G \times \tilde{G} = \underbrace{U(1) \times SU(2) \times SU(3)}_{\text{LOCAL}} \times \underbrace{\tilde{U}(1) \times \tilde{SU}(2) \times \tilde{SU}(3)}_{\text{GLOBAL}}$$

1 * DOES NOT AFFECT ORIGINAL SM ACTION SINCE GAUGE AND MATTER FIELDS ARE INVARIANT UNDER G .

2 * STRONGLY CONSTRAINS WHAT FORMS THE FERMION ACTION WILL TAKE. ✓

● SINCE G IS PRODUCT SYMMETRY, SEVERAL REPRESENTATIONS POSSIBLE FOR FERMION.

FSM CHOSSES: $1 \times (2 + 3)$ { 'MINIMAL', works. }



IMMEDIATE ADVANTAGES:

1 • Φ , COLUMNS ARE SU(2) DOUBLETS.

• ONE COLUMN REDUNDANT BY PROPERTY OF SU(2)

• REMAINING COLUMN IDENTIFIED WITH THE ORDINARY HIGGS FIELD.

→ GEOM. MEANING TO HIGGS ✓

2 • $\tilde{S}_0(3)$ CAN PLAY THE ROLE OF GENERATIONS

→ GEOM. MEANING TO GENERATIONS ✓

3 • GIVE FERMION MASS MATRIX OF FORM:

$$M = M_T \begin{matrix} d & d^c \\ m & m \end{matrix}$$

WHERE d COMING FROM $[FF]$ IS THE SAME

FOR ALL q AND x . $[R2M2] \bullet 1$ ✓

- 4 ● ~~Φ~~ CARRIES BOTH LOCAL AND GLOBAL INDICES.
- RENORMⁿ WITH ~~Φ~~ LOOPS MAKES ~~Σ~~ ROTATE: [R2M2] • 2 ✓

?

DOES IT WORK?

CAN IMMEDIATELY BE PUT TO TEST.

- 1-LOOP CALCULATION GIVES RGE
(RENORMALIZATION GROUP EQUATION)
+ INTEGRATION CONSTS ~ 7 PARAMETERS
IN ALL
- REQUIRED TO FIT ALL MASSES
AND MIXING PARAMETERS OF ν AND $\bar{\nu}$.
- RESULT SHOWN IN TABLE I.

TESMA

arXiv:1410.8022

	Expt (June 2014)	FSM Calc	Agree to	Control Calc
INPUT				
m_c	1.275 ± 0.025 GeV	1.275 GeV	$< 1\sigma$	1.2755 GeV
m_μ	0.10566 GeV	0.1054 GeV	0.2%	0.1056 GeV
m_e	0.511 MeV	0.513 MeV	0.4%	0.518 MeV
$ V_{us} $	0.22534 ± 0.00065	0.22493	$< 1\sigma$	0.22468
$ V_{ub} $	$0.00351^{+0.00015}_{-0.00014}$	0.00346	$< 1\sigma$	0.00346
$\sin^2 2\theta_{13}$	0.095 ± 0.010	0.101	$< 1\sigma$	0.102
OUTPUT				
m_s	0.095 ± 0.005 GeV (at 2 GeV)	0.169 GeV (at m_s)	QCD running	0.170 GeV
m_u/m_d	$0.38-0.58$	0.56	$< 1\sigma$	0.56
$ V_{ud} $	0.97427 ± 0.00015	0.97437	$< 1\sigma$	0.97443
$ V_{cs} $	0.97344 ± 0.00016	0.97350	$< 1\sigma$	0.97356
$ V_{cb} $	$0.999146^{+0.000021}_{-0.000046}$	0.99907	1.65%	0.999075
$ V_{cd} $	0.22520 ± 0.00065	0.22462	$< 1\sigma$	0.22437
$ V_{cb} $	$0.0412^{+0.0011}_{-0.0005}$	0.0429	1.55%	0.0429
$ V_{cs} $	$0.0404^{+0.0011}_{-0.0004}$	0.0413	$< 1\sigma$	0.0412
$ V_{cd} $	$0.00867^{+0.00029}_{-0.00031}$	0.01223	41 %	0.01221
$ J $	$(2.96^{+0.20}_{-0.16}) \times 10^{-5}$	2.35×10^{-5}	20 %	2.34×10^{-5}
$\sin^2 2\theta_{12}$	0.857 ± 0.024	0.841	$< 1\sigma$	0.840
$\sin^2 2\theta_{23}$	> 0.95	0.89	$> 6\%$	0.89

Table 1: Calculated fermion masses and mixing parameters compared with experiment .

arXiv: 1410.8022

1 MOST ENTRIES FITTED TO WITHIN 1.5σ, NONE WILD.

2 TO THIS ACCURACY, REPLACES 17 OF

SM PARAMETERS BY 7 FSM PARAMETERS.

3 GIVES ~~CP~~ PHASE (JARLSKOG INV. 5) CORRECTLY, WHILE SOLVING STRONG CP

PROBLEM WITHOUT AXIONS.

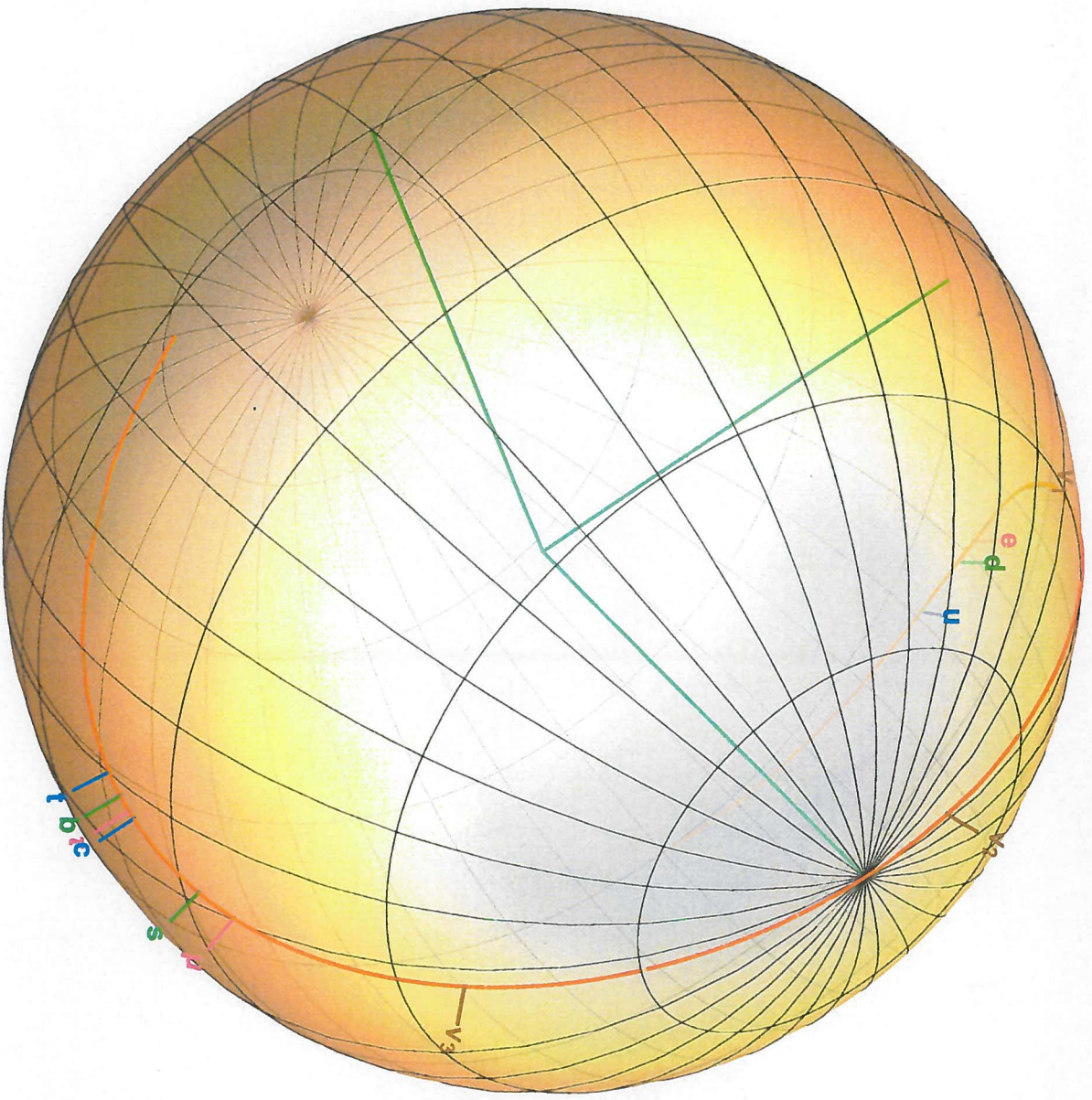
4 GIVES $m_\mu < m_\alpha$ CORRECTLY. (CRUCIAL FACT)

DESPITE $m_e > m_s$, $m_t \gg m_b$.

(SHOW FIG. II)

! EVEN AS SHEER PARAMETRISATION OF DATA **FSM** FIT IS COMPETATIVE AGAINST ANY.

! CAN CLAIM **FSM** HAS DONE WHAT IT WAS INTENDED TO DO.



arXiv: 1410.8022

BUT THIS IS NOT ENOUGH!

- FSM MADE NEW ASSUMPTIONS.
- NEW ASSUMPTIONS IMPLY NEW PHYSICS.

?1 IS THIS NEW PHYSICS CONSISTENT WITH EXISTING DATA?

[arXiv:1806.08268
arXiv:1806.08271]

AND IF SO,

?2 CAN IT BE TESTED BY FUTURE EXPERIMENT?

☀ THE NEW ASSUMPTIONS OF FSM ARE THE FRAMONS

Φ [FF] Φ [CF]

[IDENTIFIED] ✓ [9 NEW COMPLEX

[WITH HIGGS] [DEGREES OF FREEDOM] ?

[Q1] ? WHY HAVE WE NOT BEEN AWARE OF THEM ?

- THE q COMPONENTS OF Φ ARE COLOURED
(+ COLOUR IS CONFINED) \therefore CANNOT
APPEAR AS PARTICLES IN FREE SPACE.

BUT THEY CAN FORM COLOUR NEUTRAL
BOUND STATES TO APPEAR AS PARTICLES.

THUS :

$\Phi^+ \Phi$ SCALAR BD STATES: H

$\Phi^+ \psi \Phi$ VECTOR BD STATES: G

$\Phi^+ \Psi$ FERMION BD STATES: F

[Q1']? WHY HAVE WE NOT SEEN THESE H, G, F ?

[Q2] MOST OF YOU WOULD ASK, GIVEN TIME TO THINK.

? IN FLAVOUR THEORY, SCALAR Φ BREAKS $SU(2)$

GIVES MASSES TO $(h), (w, z), (q, l)$.

WHY IN COLOUR THEORY, SCALAR Φ LEAVES

$SU(3)$ CONFINING AND EXACT ?

WHERE ARE THE ^{COLOUR} ANALOGUES OF $(h), (w, z), (q, l)$?



't HOOFT'S CONFINEMENT PICTURE

G. 't HOOFT
Acta. Phys. Aust.
Suppl. 22, 531 (1978)

OF THE ELECTROWEAK THEORY.

● THE E. W. TH. (USUALLY PERCEIVED AS HAVING $SU(2)$)

HAS A 'MATHEMATICALLY EQUIVALENT' INTERPREN

AS HAVING $SU(2)$ EXACT AND CONFINING.

WHAT IS BROKEN BEING ONLY GLOBAL $\tilde{S}U(2)$!

● SU(2) CONFINED → ONLY FLAVOUR NEUTRAL

BD STATES EXIST AS PARTICLES.

$\Phi^+ \Phi \sim \lambda, \Phi^+ D_r \Phi \sim (W, Z), \Phi^+ \psi \sim (q, q)$

EXACT ANALOGUES OF:

$[\Phi^+ \Phi \sim H, \Phi^+ D_r \Phi \sim G, \Phi \psi \sim F]$

FRAMING NO CONFLICT WITH CONF.

[Q2] ≡ [Q1]!

! 't HOOFT CONF. PICTURE AN OBSERVATION OF

GREAT PERSPICACITY. !

● GIVES ALTERNATIVE INTERP. TO SYM. BREAKING

IN E.W. THEORY WHICH SOME MAY FIND ^{MORE} APPEALING.

● GRAFTED ON TO FSM → FAR-REACHING EFFECTS.

● REVEALS CLOSE PARALLEL BETWEEN THE FLAVOUR AND COLOUR THEORIES IN FSM.

	FLAVOUR THEORY	COLOUR THEORY
LOCAL GAUGE SYMM.	$SU(2)$	$SU(3)$
CONFINEMENT ?	CONFINED, EXACT. (1/2 HOOPF CONF. PICT.)	CONFINED, EXACT. (GENERAL CONCEPT)
FRAMON SCALAR	Φ (\sim STANDARD HIGGS)	Φ (NEW, FROM FSM)
SYMMETRY DOUBLED	$SU(2) \times \tilde{S}U(2)$	$SU(3) \times \tilde{S}U(3)$
FRAMON VEY $\neq 0$	ζ_W (246 G _{UV})	ζ_S (\sim TRV)
GLOBAL SYM. BROKEN	$\tilde{S}U(2)$ BROKEN \rightarrow 2 (UP-DOWN) FLAVOUR	$\tilde{S}U(3)$ BROKEN \rightarrow 3 GENERATIONS
FRAMON BOUND STATES	BY $SU(2)$ FLAVOUR CONF. (1/2 HOOPF) $(\lambda), (w, z), (q, r)$	BY $SU(3)$ COLOUR CONF. H, G, F Δ (FLAVOUR) L (NO FLAV)
HIGHER LEVEL CONSTRUCTS	$(Q\bar{Q}) [Q\bar{Q}]$ (CO-HADRONS) BD. BY FLAVOUR CONF.	$(q\bar{q}) [qqq]$ (HADRONS) BD. BY COLOUR CONF.

PARALLEL BETWEEN FLAVOUR AND COLOUR IN FSM

? PARALLEL DISTURBING ? X

FLAVOUR INT. WEAK, COLOUR INT. STRONG.

u, w, z, \dots .. , HADRONS .. ✓

(NOT COMPARING LIKES WITH LIKES) !

u, w, z, \dots SHOULD COMPARE WITH H, G, F .

THEN PARALLEL HOLDS. REAL QUESTN. [01']

FLAVOUR - COLOUR PARALLEL → 2 IMPORTANT RESULTS

● 1 [DOM] DICHO TOMY OF MATTER.

MATERIAL WORLD DIVIDES INTO 2 SECTORS

WITH ROLES OF FLAVOUR AND COLOUR INTERCHANGED.

● [PREDICTION OF HIDDEN SECTOR SURPRISING FROM FSM CONSTRUCTED TO EXPLAIN FERMION GENERATION] !

BUT HIDDEN SECTOR MOST WELCOME GIVEN THAT WORLD IS MOSTLY DARK MATTER HIDDEN FROM US.

	STANDARD SECTOR	"HIDDEN" SECTOR
BUILDING BLOCKS	$(K), (W, Z), (q, \bar{q})$ PT.-LIKE, PERTURB. INT.	H, G, F, A PT.-LIKE, PERTURB. INT.
BOUND STATES OF ABOVE BY COLOUR CONF.	(q, \bar{q}) MESON $[qqq]$ BARYON BULKY, SOFT INTER.	(q, \bar{q}) CO-MESON $[qq]$ CO-BARYON <small>BOSONIC!</small> BULKY, SOFT INTER.
BOUND STATES BY SOFT INTER. μ	NUCLEI	CO-NUCLEI ?
BOUND STATES BY Q.M. INTER. μ	ATOMS, MOLECULES, US.	CO-ATOMS, CO-MOLECULES? ? ?

THE FLAVOUR - COLOUR DICHO TOMY OF MATTER

● 2 [TOT] TRANSFER OF TECHNOLOGY

- BETWEEN THE 2 SECTORS, IN PARTICULAR PERTURBATIVE METHOD USED IN FLAVOUR TH. FOR $(h), (w, z), (q, \lambda)$ APPLICABLE ALSO TO H, G, F !!!

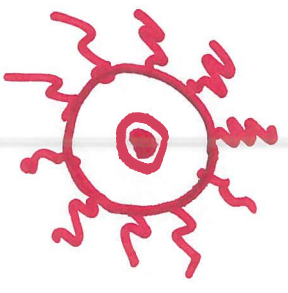
● FSM NOT ONLY SUGGESTS A HIDDEN SECTOR BUT EVEN SUPPLIES THE MEANS TO US FOR EXPLORING IT.

- AS IN FLAVOUR TH, HASSES AND COUPLINGS GIVEN BY EXPANSION OF ACTION IN FERMION FIELDS ABOUT THEIR VEVS [FERMION ACTION LARGELY KNOWN] SYMMETRY UNDER $G \times G$
- START WITH THE VECTOR BOSSON MASS MATRIX.
- STANDARD PROCEDURE IN FLAVOUR TH. GIVES FOR W_i (LABELLED BY PAULI MATRICES τ_i):
 W_1, W_2 DIAGONAL, W_3 MIXES WITH $A_\mu \rightarrow \gamma, Z$

● SAME PROCEDURE APPLIED TO COLOUR TH. GIVES

G_k (LABELLED BY GELL-MANN MATRICES λ_k)

G_1, \dots, G_7 DIAGONAL, G_8 MIXES WITH $A_8 \rightarrow \gamma, G.$



WERE MENTION OF MIXING RINGS AN ALARM WHICH HAS TO BE ANSWERED AT ONCE.

?1: WILL THE MIXING WITH G_8 GIVE γ A MASS ???

[A PARALLEL PROBLEM AROSE IN THE E.W. THEORY FOR MIXING WITH W_3 BUT WEINBERG - SALAM JUDICIOUS CHOSE A CHARGE FOR THE HIGGS (FRAMON) SCALAR TO KEEP γ MASS LESS.]

A1: THE NEW MIXED γ CAN BE KEPT MASS LESS BY GIVING ONE COLOUR FRAMON CHARGE $+2/3$ AND THE OTHER 2 FRAMONS CHARGE $-1/3$. CHOICE SIMILAR TO WEINBERG - SALAM FOR THE FLAVOUR CASE. ✓

Q2: THE NEW G -MODIFIED MIXING DEVIATES FROM THE STANDARD WEINBERG MIXING, WHICH HAS BEEN CHECKED BY EXPT. TO GREAT ACCURACY WILL THE DEVIATIONS REMAIN WITHIN PRESENT EXPTAL BOUNDS?

A2: DEVIATIONS DEPEND ON ONLY 1 UNKNOWN PARAMETER ϵ_s OF ORDER T_{eV} .

IT HAS BEEN SHOWN THAT FOR:

$$\epsilon_s > 2 T_{eV} \quad (m_G > 1 T_{eV})$$

$$(a) m_Z - m_W, \quad (b) T(z \rightarrow \bar{\nu} \nu), \quad (c) T(z \rightarrow \bar{\nu} \bar{\nu})$$

ALL REMAIN WITHIN PRESENT EXPTAL BOUNDS.

(ENCOURAGING, THOUGH INCOMPLETE, AND ONLY AT TREE-LEVEL).

AYXIV:
1806.08271



E.g. FOR $E_s = 2 \text{ TeV}$, THE DEVIATION $\Delta(m_z - m_W)$

FROM STANDARD = 10.4 MeV

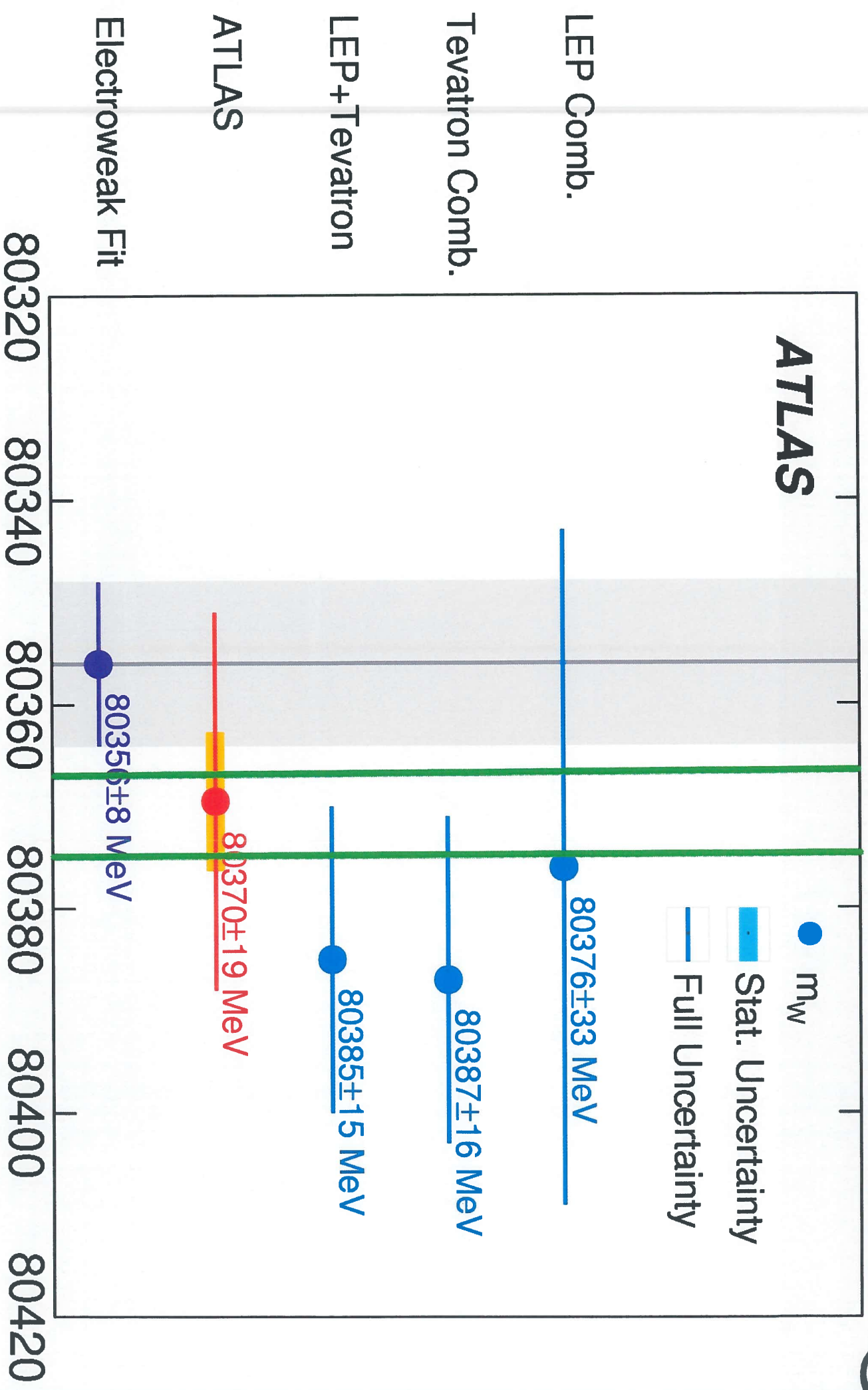
cf. EXPTAL ERROR ~ 15 MeV.

N.B. THE DEVIATIONS CAN BE 2 ORDERS BIGGER IF IT WERE NOT FOR SUBTLE CANCELLATIONS IN ALL THREE CASES: (a), (b), (c).

REGARDED AS NEW PHYSICS, THESE DEVIATIONS SHOULD SOON BE TESTABLE WITH IMPROVED EXPTAL ACCURACY.

SHOW FIG WMASS: FSM ACTUALLY FITS BETTER THOUGH AS YET STAT. INSIGNIFICANT

MORE WORK NEEDED ON TESTING G -MODIFIED MIXING BUT GIVE IT TENTATIVE PASS TO PUSH ON.



arXiv: 1806.08271

m_W [MeV]

BACK TO EXPLORATION OF HIDDEN SECTOR

CONTINUING WITH MASS MATRIX OF G

THE DIAGONAL ELEMENTS ARE:

$$\frac{1}{6} g_3^2 \kappa_3^2 (1-R) \quad K = 1, 2, 3$$

$$\frac{1}{12} g_3^2 \kappa_3^2 (2+R) \quad K = 4, 5, 6, 7$$

$$\frac{1}{6} g_3^2 \kappa_3^2 (1+R) \quad K = 8.$$

ONLY THING NEW cf. FLAVOUR CASE IS DEPENDENCE ON PARAMETER R (NO EQUIVALENT IN FLAVOUR TH.)

MATRIX ELEMENTS DEPEND ON SCALE μ .
 PHYSICAL MASS OF STATE \times GIVEN AS SOLUTION

$$\text{To: } m_x(\mu) = \mu \quad (*)$$

[cf. in E.W. THEORY, m_Z MEASURED AT $\mu = m_Z$]

● TO SOLVE EQ. (*), NEED TO KNOW R AS FUNCTION OF μ .

FOR TUNNATELY, R KNOWN FROM FIT OF TABLE I.
SHOW FIG. OF b . (28)

● FOR $\mu \sim m_Z$, $k_s > 2 TeV$ } SOLUTIONS OF (*)
 $R < 0.02$ } DEGENERATE $\sim TeV$.

● EXCEPT FOR $k = 1, 2, 3$, $\therefore R \rightarrow 1 \sim 17 MeV$

\exists A LOWER SOLUTION FOR (*) $\sim 17 MeV$.
[PREFERRED SOLUTION BEING STABLE.]

● SUGGESTED SPECTRUM FOR G SHOWN IN TABLE G_M

● SIMILAR ANALYSIS GIVES SPECTRUM FOR H , [TABLE H_M]
AND ALSO SPECTRUM FOR F , [NOT SHOWN, DEPENDS ON MORE ASSUMPTIONS]

Particle	State	Mass
H^0	mixture of $H_{(3\bar{3})}$, H_{even} and h_w	\gtrsim multi-TeV
H_{1^+}	$H_{(\bar{1}\bar{3})}$	
H_{2^+}	$H_{(\bar{2}\bar{3})}$	
H_{1^-}	$H_{(\bar{3}\bar{1})}$	\gtrsim TeV
H_{2^-}	$H_{(\bar{3}\bar{2})}$	
H_{low}^0	mixture of H_{even} , $H_{(\bar{3}\bar{3})}$	
\bar{H}^0	$H_{(\bar{1}\bar{2})}$	
\bar{H}^0	$H_{(\bar{2}\bar{1})}$	
H_{odd}^0	$\frac{1}{\sqrt{2}}(H_{(\bar{1}\bar{1})} - H_{(\bar{2}\bar{2})})$	~ 17 MeV

Table 2: Suggested spectrum of the H states

Particle	State	Mass
G^0	mixture of G_8 , Z and γ	≥ 1.1 TeV
G^+	$\frac{1}{\sqrt{2}}[G_4 + iG_5]$	
G^-	$\frac{1}{\sqrt{2}}[G_4 - iG_5]$	≥ 1.0 TeV
G'^+	$\frac{1}{\sqrt{3}}[G_6 + iG_7]$	
G'^-	$\frac{1}{\sqrt{2}}[G_6 - iG_7]$	
G_1^0		
G_2^0		
G_3^0		~ 17 MeV

Table 3: Suggested spectrum of the G states

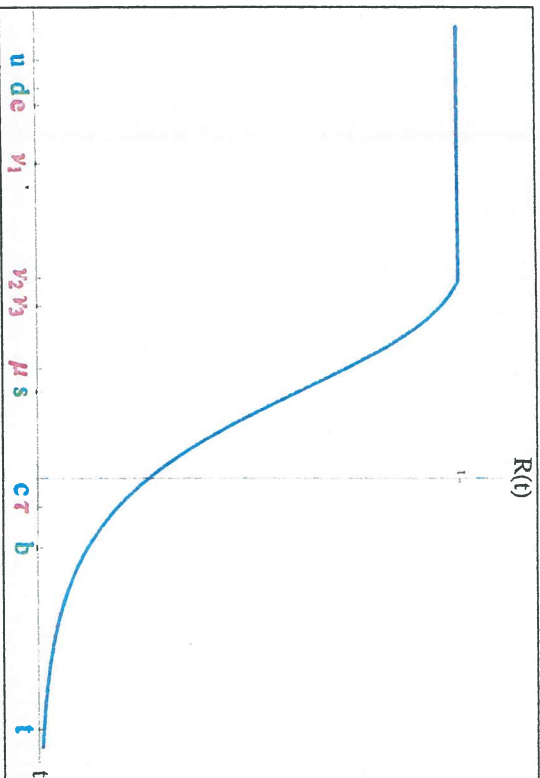


Figure 2: Dependence of R on scale obtained from the fit in [?]

EXPANSION TO HIGHER ORDERS GIVES INTERACTING VERTICES. [DONE, GIVING ~ 10 PAGES OF THEM] (arXiv:1806.08268)

→ CALCULATION OF FEYNMAN DIAGRAMS IN FUTURE

NB PLENTY OF INTERACTIONS AMONG H, G, F

BUT VERY FEW LINKING H, G, F TO k, w, z, q, l .

[ONLY EXCEPTIONS VIA MIXING OF G WITH χ, Z]
 [AND MIXING OF SOME H 'S WITH k]

? → ANSWER TO [Q1] OR "WHY HIDDEN SECTOR IS HIDDEN?"

A? AT DAWN OF CREATION (\sim SOON AFTER BIG BANG)
 ALL PARTICLES H, G, F, k, w, z, q, l PRESENT

BUT BY OUR EPOCH ONLY LOW STABLE ONES REMAIN.

- IN OUR STANDARD SECTOR, WE KNOW WHAT REMAIN.

Q WHAT REMAIN IN THE HIDDEN SECTOR?

- SUGGEST THOSE H 'S, G 'S, F 'S OF MASS $\sim TeV$ DECAY, LEAVING ONLY THOSE OF MASS $\sim 17 MeV$

- THESE ARE ELECTRICALLY NEUTRAL AND HAVE LITTLE INTERACⁿ WITH US.

THEY WILL APPEAR TO US AS DARK MATTER.

- THOSE WITH MASSES $\sim TeV$ NEED TO BE PRODUCED, BUT THIS IS HARD, GIVEN THE LITTLE COUPLING WITH OUR SECTOR.

HENCE TENTATIVE ANSWER TO OUR QUES. [Q17].

Q HOW TO PROBE THE HIDDEN SECTOR?

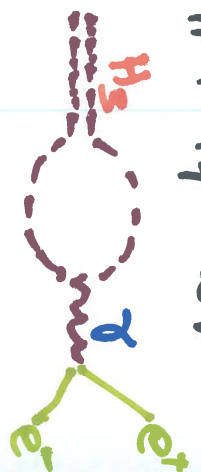
CHINKS IN THE INVISIBILITY CLOAK? (HARRY POTTER)

1: G MIXING WITH γ AND Z ALLOWS DECAY INTO $\bar{\nu}_\alpha \nu_\alpha$. CAN APPEAR AS $\bar{\nu}_\alpha \nu_\alpha$ BUMP AT LHC.

[PRODUCTION XSECTION AND WIDTH CALCULABLE (WE THINK). UNDER INVESTIGATION]

● GATEWAY INTO HIDDEN SECTOR, DECAYING MOSTLY INTO DM.

● 2: ONE OF THE LOW MASS STATES G_3 AT 17 MeV CAN DECAY INTO e^+e^- VIA LOOP:
HAS IT ANYTHING TO DO WITH THE ATOMKI ANOMALY AT 17 MeV IN $B_{e^+e^-}$ DECAY?
(NEITHER EXPT. NOR THEORY YET VERY STRONG.)!



● 3: SEARCH FOR G_1, G_2, H_1, H_2 ETC. AS DARK MATTER

(MASS TOO LOW FOR LUX, PERHAPS ALSO FOR LZ?)
(SENSEI? ASK FERCUS WILSON)

! COMPLAINT OF SERGEI BALASHOV RE DM EXPT: "NOT ENOUGH KNOWN OF DM DYNAMICS."

IN FSM A LOT IS KNOWN! ONLY ? TRUE OR NOT?

● 4: CHARGED PARTICLES IN H, G, F ALL COUPLE AS USUAL TO γ . CAN EASILY BE PAIR-PRODUCED IN e^+e^- COLLIDERS.

[fb COLLIDERS BEING PLANNED MAY GO THROUGH e^+e^- STAGE, CEPC IN CHINA. ONE IN EUROPE)]
BUT, TIME SCALE ~ 20 YRS. I SHALL BE 105



IN ANY CASE, IF THERE IS TRUTH IN WHAT WE SAY, OUR EXPTAL FRIENDS WILL BE KEPT BUSY FOR SOME TIME.